

SIERPINSKI, WACŁAW

\*Sierpinski, Wacław. Teoria liczb. [Theory of numbers.] 3rd ed. Monografie Matematyczne, Tom XIX. Warszawa, Wrocław, 1950. vi+544 pp.

This is a new edition of a book first published in 1914, but with some modifications and additions. It is an exposition of the elementary theory of numbers together with the most elementary parts (as Tchebyscheff's theorem on density of prime numbers, Gauss's theory of binary quadratic forms, elementary theory of quadratic number fields) of its more advanced fields (analytic theory of numbers, diophantine equations, quadratic forms, algebraic numbers), serving as introduction to a further study of these fields. The purpose of the author is to give, at the same time, a text-book in number theory for beginning students and an elementary treatise initiating secondary school teachers (and even non-mathematicians interested in mathematics) into this theory. Thus, though elementary, this book is written, within the limits of its subject, with a rather encyclopedic scope. In addition to the proved results, many more special or more difficult ones are quoted without proof. The book contains also many problems and exercises.

Table of contents: (1) Divisibility of numbers and decomposition into prime factors; (2) Indeterminate equations of first degree; (3) Fundamental properties of congruences, congruences of first degree with prime modulus; (4) Theorems of Wilson, Euler and Fermat; theorems on decomposition into a sum of squares; (5) Number and sum of factors, perfect numbers, summation formulas; (6) Möbius' function, Gauss' function, the relation  $F(n) = \sum a_d f(d)$  and its inversion; (7) Density of distribution of prime numbers in the sequence of natural numbers; (8) Euler's theorem, Lagrange's theorem, primitive residues and indices; (9) Systematic developments with an arbitrary base of numeration; (10) Pythagoras' equation and its generalizations; (11) Pell's equation; (12) Continued fractions; (13) Theory of congruences of first and second degree; (14) Theory of Legendre's symbol and of Jacobi's symbol; (15) Sketch of the theory of quadratic forms; (16) Theory of complex integers; (17) Introduction to the theory of numerical fields; (18) Introduction to the theory of ideals; (19) Fermat's great theorem for exponents 5 and 7; (20) Complements to various chapters.

M. Krasner.

Source: Mathematical Reviews,

Vol 13 No. 9

SIERPIŃSKI, W.

*Wacław Sierpiński*

*Theory of Sets, Theory of Functions of  
Real Variables*

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Sierpiński, Waclaw. Solution de l'équation  $\omega^t = \xi^x$  pour  
les nombres ordinaux. Acta Sci. Math. Szeged 12,  
Eduardo Lejá y Frederico Riesz LXX annos natis  
1930-31, 10-11, 50 (1930).

The author solves a special case of the problem of finding  
two ordinal numbers  $\alpha$  and  $\beta$  which satisfy the equation  
 $\omega^\alpha = \xi^\beta$ . The general problem, however, has already been  
completely solved by F. Leibniz [Math. Ann. 64, 475-  
488 (1893); 65, 341-344].

*F. Bagemihl*

Source: Mathematical Reviews.

Vol 11 No. 9

~~SIERPINSKI, W.~~

SIERPINSKI, W.

Sierpinski, W. Contribution à l'étude des restes cubiques.

Ann. Soc. Polon. Math. 22 (1949), 269-272 (1950).

Theorem. Let  $q$  be a prime number and  $m > 1$ , a natural number. In order that there exist for every integer  $x$  an integer  $y$  such that  $x \equiv y \pmod{m}$ , it is necessary and sufficient that  $m$  be a product of distinct primes none of which is of the form  $qk+1$ . Sketch of proof. From elementary group-theoretic considerations it is easy to see that every integer prime to  $m$  is a  $q$ th-power residue if and only if  $m$  is not divisible by either  $q^2$  or any prime of the form  $qk+1$  [cf. Meyer, Arch. Math. Phys. 43, 413-436 (1865)]. For  $m$  not divisible by  $q^2$  or by any prime of the form  $qk+1$ , the residue classes not prime to  $m$  give trouble only if  $m$  is non-squarefree.

P. T. Bateman (Urbana, Ill.).

Source: Mathematical Reviews,

Vol. 11

No. 9

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Sierpinski, W.

Sierpinski, W. Sur les puissances du nombre 2. Ann.  
Soc. Polon. Math. 23, 246-251 (1950). 10

Two theorems are proved concerning terminal and initial digits of  $2^n$  when written to the base  $10^k$ . The first theorem proves that the sequence 1, 2, 4, 8, ... when taken modulo  $10^k$  ultimately becomes periodic of proper period  $4 \cdot 5^{k-1}$ , the

Source: Mathematical Reviews, Vol. 12 No. 9.  
(SNW)

Sierpinski, W.

Let  $u_1, u_2, \dots$  be an infinite sequence of integers. The author writes  $\{u_n\} \in F_m$  if  $\{u_n\}$  is periodic (mod  $m$ ) (by periodic the author means periodic from a certain point on),  $\{u_n\} \in F$  if  $\{u_n\}$  is periodic mod  $m$  for every  $m$ . The author proves among others the following theorems: (1) If  $\{u_n\} \in F_m$ ,  $\{v_n\} \in F_m$ , then  $\{u_n + v_n\} \in F_m$ ,  $\{u_n \cdot v_n\} \in F_m$ . (2)  $\{a^n\} \in F$  for every  $a$ ,  $n \in F$ ;  $\{n^n\} \in F$ , etc. (3) If  $\{u_n\} \in F_m$ ,  $v_n \geq 0$ ,  $\lim v_n = \infty$ ,  $\{v_n\} \in F$ , then  $\{u_n \cdot v_n\} \in F_m$ . (4) If  $\{u_n\} \in F_m$ ,  $\{\sum_{i=1}^n u_i\} \in F_m$ . These results imply the periodicity of all the usually occurring sequences in number theory. The author remarks that  $v_n \geq 0$ ,  $\{v_n\} \in F$  does not imply  $\{2^{v_n}\} \in F$ ; e.g.,  $v_n = n! [n!] - [(n-1)!]$  (compare with (3)).

P. Erdős (Aberdeen).

Source: Mathematical Reviews,

Vol 12 No. 9.

*Sierpiński, K. Wacław*

*Sierpiński, Wacław. Le dernier théorème de Fermat pour les nombres ordinaux. Fund. Math. 37, 201-203 (1950).*

The author proves various theorems on ordinal numbers. He proves among others that there are arbitrarily large transfinite ordinals  $\alpha$ ,  $\beta$ ,  $\gamma$ ,  $\alpha < \beta < \gamma$  so that for all  $n = 1, 2, \dots$ ,  $\alpha^n + \beta^n = \gamma^n$ . He also remarks that  $\omega + 10$  is the smallest even transfinite ordinal which is not the sum of two prime ordinals, and that  $\omega^2$  is the smallest ordinal not the sum of a finite number of primes. *P. Erdős* (Aberdeen).

*Source: Mathematical Reviews.*

Vol. 44, No. 7

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*SIERPINSKI, WACŁAW*

Sierpiński, Wacław. Sur un type ordinal d'  
une infinité indénombrable de diviseurs  
Fund. Math. 37, 206-208 (1950).

The author proves in a simple and ingenious  
way that there exists a countable order type which  
left divisors. The question of the existence of  
such order types was raised by Mostowski. *P. Erdős*

Source: Mathematical Reviews.

indénombrable qui  
sont gauches.

de telle manière que  
il y ait  $2^{\aleph_0}$  ordres  
distincts

of these order  
(Aberdeen).

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8/23/2000

*Sierpiński, Wacław*

Sierpiński, Wacław. L'équivalence par décomposition et la mesure extérieure des ensembles.  
37, 209-212 (1950).

Given a real number  $\mu > 0$  and a bounded Euclidean  $m$ -space  $R_m$  ( $m \geq 1$ ) with  $m$ -dimensional measure  $m^*(E) > 0$ , when can one assert that by finite decomposition to some set  $H \subset R_m$  with  $m^*(H) = \mu$ ? Assuming  $2^{R_m} = \aleph_1$ , the author shows that  $E$  is decomposed into two sets each of which has measure equal to  $m^*(E)$ , and from this lemma he deduces that the assertion in question is true whenever  $\mu \leq m^*(E)$ , and also when  $0 < \mu < m^*(E)$  and  $m \geq 3$ . On the other hand, in case  $m = 1$  or  $2$  and  $0 < \mu < m^*(E)$ , the assertion is false whenever  $2^{R_m} = \aleph_1$  by following an idea of Lusin [C. Acad. Sci. Paris 198, 1671-1674 (1934), p. 1673], but the proof is then much more difficult. *J. C. Oxtoby* (Bryn Mawr, Pa.).

Source: Mathematical Reviews.

position Rule  
Fund. Math.

subset  $R$  of  
dimensional outer  
is equivalent  
in  $m^*(H) = \mu$   
can always be  
outer measure  
assertion is true whenever  
[E], and also  
hand, in case  
above lemma  
assuming  
Acad. Sci.  
Paris 198, 1671-1674 (1934), p. 1673], but the proof is then  
much more difficult. *J. C. Oxtoby* (Bryn Mawr, Pa.).

Vol 12 No. 8

*Saw*

STERPIŃSKI, WACŁAW

Sierpiński, Wacław. Sur les ensembles linéaires. Fund. Math. 37, 53-264 (1950).  
Proofs are given of the result stated in the preceding theorem. F. Bagemihl.

Source: Mathematical Reviews.

Vol. 13 No. 1

*Sierpinski, W.*

Sierpinski, W. L'opération du critère et les fonctions d'une suite infinie d'ensembles. Soc. Sci. Lett. Varsovie, C. R. Cl. III. Sci. Math. Phys. 41 (1948), 47-62 (1950). (French. Polish summary)  
Une fonction univoque  $f(E_1, E_2, \dots)$  d'une suite infinie quelconque d'ensembles linéaires et dont la valeur est toujours un ensemble linéaire, est dite [Kantorovich et Livenson, Fund. Math. 18, 214-279 (1932), pp. 224-225]. "fonction analytique" si les hypothèses  $\alpha$   $f(E_1, E_2, \dots)$  et  $\beta$  non- $f(H, H, \dots)$ ,  $\alpha$  et  $\beta$  étant deux nombres réels, entraînent toujours l'existence d'un entier  $k > 0$  tel que ou bien  $\alpha E_k$  et  $\beta$  non- $H$ , ou bien  $\alpha$  non- $E_k$  et  $\beta$   $H$ . Une fonction analytique  $f$  étant donnée, on appelle  $F$ , la famille de tous les ensembles  $f(E_1, E_2, \dots)$  où les  $E_n$  ( $n = 1, 2, \dots$ ) sont des ensembles linéaires fermés.  $Q$  étant un ensemble plan et  $\pi$  étant une propriété qu'un ensemble linéaire peut avoir ou ne pas avoir, on appelle  $\Gamma_\pi(Q)$  l'ensemble de tous les nombres réels  $\alpha$  tels que l'intersection de la droite  $x = \alpha$  avec  $Q$  ait la propriété  $\pi$ . Une propriété  $\pi$  d'ensemble linéaire étant donnée, on appelle  $\Phi_\pi$  la famille de tous les ensembles  $\Gamma_\pi(Q)$ .

Sources: Mathematical Reviews

Le auteur démontre les théorèmes suivants. Théorème 1: Pour toute fonction analytique  $f$  il existe une propriété  $\pi$  d'ensemble linéaire telle que  $\Phi_\pi = F$ . Théorème 2: Pour toute fonction analytique  $f$  telle que  $\Phi_\pi = F$ , Théorème 3: La famille de toutes les fonctions analytiques est la plus petite famille  $F$  de fonctions univoques d'une suite infinie d'ensembles linéaires ayant pour valeur un ensemble linéaire et joignant des trois propriétés suivantes: (1) Toute fonction  $f(E_1, E_2, \dots) = E_k$  ( $k = 1, 2, \dots$ ) appartient à  $F$ . (2) Si  $f \in F$ , alors  $X - f \in F$  ( $X$  étant l'ensemble de tous les nombres réels). (3) La réunion d'un ensemble quelconque de fonctions appartenant à  $F$  appartient à  $F$ . L'auteur compare les fonctions analytiques avec leur cas particulier: les "fonctions analytiques positives" [Kantorovich et Livenson, loc. cit.], ces dernières coïncident [ibid.] avec les fonctions de F. Hausdorff. Le théorème 2 cesse d'être vrai si, dans son énoncé, on remplace les mots "fonction analytique" par les mots "fonction analytique positive".

*Appart.*

## SIERPINSKI, WACŁAW

\* Sierpiński, Wacław. Algébre des ensembles. Monographie. Tom XLIII. Politek Towarzystwa Naukowego Matematyczne, Warszawa-Wrocław, 1951. 15 + 205 pp.

Ce rapport donne les titres originaux des chapitres, signale les paragraphes non nécessairement impliqués par ces titres ainsi que les résultats, notions ou notations caractéristiques et contient quelques remarques. Chapitre I (§1-6). Algèbre des propositions. Les notations pour les quantificateurs sont avec citation des travaux spécialisés. Chapitre II (§7-13). Ensembles, éléments, sous-ensembles. Les questions de la calculabilité d'un nombre, de la "définition" ou "construction" d'un ensemble sont signalées. Chapitre III (§14-22). Opérations élémentaires sur les ensembles. La réunion de deux ensembles, appelée aussi somme, est représentée par  $A + B$ , l'intersection, appellée aussi produit, par  $AB$ , la différence par  $A - B$ , §19. Parallelisme entre l'algèbre des propositions et l'algèbre des ensembles. Algèbre de Boole.

Source: Mathematical Reviews,

Vol 13 No. 6

constituent un groupe abélien vis-à-vis de cette opération. La notion d'anneau booléen n'est pas indiquée. Chapitre IV (§23-30). Fonctions, images d'ensembles, relations. §25. Théorèmes de Banach et de Cantor-Bernstein. §29. La topologie comme chapitre de la théorie générale des ensembles. Chapitre V (§31-39). §35. Théorèmes sur la séparabilité des ensembles. §34. Les opérations de Hausdorff. Ce dernier chapitre contient des notions et propositions qui ne se trouvent pas dans les ouvrages classiques traitant de la théorie des ensembles et qui peuvent être intéressants en théorie de la mesure ou en topologie. Voici deux spécimens: Si  $\Phi$  est un anneau d'ensembles (suivant Hausdorff) et si  $E\Phi$ ,  $H\Phi$  et  $HCE$ , il existe un ensemble  $P$  appartenant à  $A\Phi$  et  $N$  respectivement. L'ouvrage est d'une lecture aisée et C. Paus (le Cap).

Sp. 1972  
C. Paus

*SIERPINSKI, WACŁAW*

\*Sierpiński, Waclaw. Basady algebra wyższej z przypisem  
Andrzeja Mostowskiego zarys teorii Galois. [Prin-  
ciples of Higher Algebra with an appendix by Andrzej  
Mostowski, Outline of Galois Theory]. 2d ed. Mono-  
grafie Matematyczne. Tom XI. Polskie Towarzystwo  
Matematyczne, Warszawa-Wrocław, 1951. viii+436 pp.  
For a review of the first edition see these Rev. 8, 498.

Source: Mathematical Reviews,

Vol 17, No.

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SIERPINSKI, W.

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Sierpiński, W. Sur un problème de M. J. Novák. Czechoslovak Math. J. 1(76), 97-101 (1951) = Čechoslovak. Mat. ř. 1(76), 117-122 (1951).

All sets concerned are to be sets of natural numbers. Of two sets  $A$  and  $B$  the relation  $B \supset^* A$  is to mean that  $A - B$  is finite and  $B - A$  to mean that  $A - B$  is finite and  $B - A$  infinite. Consider the following two problems,  $N$  and  $L$ , problem  $N$  having been proposed by J. Novák recently and problem  $L$  by N. Lusin in 1947. Problem  $N$ : Can a transfinite sequence of infinite sets  $N_\xi$  be found for  $\xi < \Omega$  such that  $N_\xi \supset^* N_\eta$  for all  $\xi < \eta < \Omega$  and yet for no infinite set  $A$  does  $N_\xi \supset^* A$  for all  $\xi < \Omega$ ? Problem  $L$ : Can a transfinite sequence of infinite sets  $N_\xi$  be found for  $\xi < \Omega$  such that  $N_\xi >^* N_\eta$  for all  $\xi < \eta < \Omega$  and yet for no infinite set  $A$  does  $N_\xi >^* A$  for all  $\xi < \Omega$ ? The author proves these two problems equivalent. He has previously shown [Fund. Math. 35, 141-150 (1948); these Rev. 10, 689] that problem  $L$  can be answered affirmatively under the continuum hypothesis. Thus problem  $N$  can also; this is reproved by direct construction.

*W. Gustin (Bloomington, Ind.)*

Source: Mathematical Reviews,

Vol 13 No.

*8/23/1986*

SIERPIŃSKI, WACLAW

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Sierpiński, Waclaw. Sur les fonctions continues d'une variable ordinaire. Fund. Math. 38, 201-208 (1951).

Let  $\varphi$  be an ordinal number without an immediate predecessor. The author defines that the sequence of ordinals

$\{a_\xi\}$ ,  $\xi < \varphi$ , has the ordinal  $\lambda$  as its limit, if for every  $\nu < \lambda$  there exists a  $\mu < \varphi$  so that, for  $\mu < \xi < \varphi$ ,  $\nu < a_\xi \leq \lambda$ . A function  $f(\xi)$  is said to be continuous if  $\lim_{\xi \rightarrow \mu} f(\xi) = f(\mu)$ . The author then proves various theorems on continuous functions. Let  $\alpha$  be any countable ordinal number,  $f(\xi)$  any function defined for the ordinals  $\xi < \alpha$ . Then  $f(\xi) = \lim f_n(\xi)$ ,  $n = 1, 2, \dots$ , where the  $f_n(\xi)$  are continuous functions. On the other hand the function  $f(\xi) = \xi + 1$ ,  $\xi < \Omega$  is not the limit of any transfinite sequence of continuous functions. *P. Erdős.*

Source: Mathematical Reviews,

Vol 13 No. 9

SIERPINSKI, WACŁAW

*Sierpiński, Wacław. Sur quelques propriétés des familles d'ensembles. Soc. Sci. Lett. Varsovie. C. R. Cl. III. Sci. Math. Phys. 42 (1949), 30-35 (1952). (French. Polish summary)*

A study is made of conditions under which a family  $F$  of sets each of which is the sum of two disjoint sets of  $F$  has the property that each set of  $F$  is the sum of an infinity of disjoint sets of  $F$ —also of the related questions in which the word "disjoint" is replaced, respectively, by "distinct" and by "distinct from itself." For example, it is shown that if  $F$  is an arbitrary family of countable sets each of which is the sum of two disjoint sets of  $F$ , then each set of  $F$  is the sum of an infinity of disjoint sets of  $F$ . However, this conclusion does not follow without the assumption of countability on the sets of  $F$ , even though  $F$  itself is a countable family.

G. T. Whyburn (Charlottesville, Va.).

Source: Mathematical Reviews, Vol. 13 No. 9

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SIERPINSKI, WACLAW

*Math*  
Sierpiński, Wacław. Sur les bases dénombrables de la famille de tous des ensembles linéaires dénombrables. Soc. Sci. Lett. Varsovie, C. R. Cl. III. Sci. Math. Phys. 42 (1949), 182-184 (1952). (French. Polish summary)  
À l'aide de l'hypothèse du continu Mazur [enfimes C. R. 31, 102-103 (1938); aussi Sierpiński, Fund. Math. 31, 259-261 (1938)] a prouvé l'existence d'une suite  $S$  dénombrable d'ensembles linéaires tels que chaque ensemble linéaire dénombrable soit limite d'une suite partielle de  $S$ ; dans la présente note l'A. montre (sans se servir de l'hypothèse du continu) que les termes de  $S$  ne peuvent être ni mesurables  $L_1$  ni pourvus de la propriété de Baire (au sens large).  
D. Kurepiš (Zagreb).

Source: Mathematical Reviews,

Vol 13 No. 10

SIERPINSKI, WACLAW: On the Enumerable Bases of the Family of the Enumerable Linear Sets (L. Sma)

SIERPINSKI, WACLAW

Mathematical Reviews  
Vol. 14 No. 11  
Dec. 1953  
Analysis

Sierpinski, Wacław. Sur l'extension d'un théorème de M. D. Poicpelu aux nombres transfinis. Soc. Sci. Lett. Varsovie, C. R. Cl. III. Sci. Math. Phys. 43 (1950), 1-3 (1952).

A natural number  $n$  is composite if and only if  $n = a + b + c + d$ , where  $a, b, c, d$  are natural numbers such that  $ad = bc$ . The author shows that if  $\nu$  is an ordinal number such that  $\nu = \alpha + \beta + \gamma + \delta$ , where  $\alpha, \beta, \gamma, \delta$  are positive ordinals satisfying  $\alpha\delta = \beta\gamma$ , then  $\nu$  is composite. The converse, however, does not hold (e.g., if  $\nu = \omega + 2$ ). In order that a transfinite ordinal  $\nu$  be composite, it is necessary and sufficient that there exist positive ordinals  $\alpha, \beta, \gamma, \delta$  such that  $\nu = \alpha + \beta + \gamma + \delta$  and either  $\alpha\delta = \beta\gamma$  or each of the numbers  $\alpha, \beta, \gamma, \delta$  is greater than 1 and less than  $\nu$ . F. Bagemihl.

SIERPINSKI, WACLAW

Mathematical  
Reviews  
Vol. 14 No. 11  
Dec. 1953  
Analysis

Sierpinski, Waclaw.

Sur les produits infinis de nombres.  
1. Lett. Varsovie. C. R. Cl. III. Sci. Math.

Phys. 43 (1950), 20-24 (1952).

The author obtains results concerning rearrangements of infinite products  $\prod a_i$  in the usual sense, where the factors are ordinal numbers, which are analogous to those which he has found (Fund Math. 36, 248-253 (1949); these Rev. 12, 14) for sums. In particular, for a given sequence  $\{a_i\}_{i<\alpha}$ , only a finite number of different values can be obtained by rearranging the product, and if the sequence is nondecreasing, then rearrangement of the product produces no change in its value. In the course of the proof it is shown that if  $\alpha$  is a transfinite ordinal number such that  $\alpha = \beta$  for  $0 < \beta < \alpha$ , then, for an ordinal  $\beta =$

F. Bagemihl (Princeton, N. J.).

Mathematical Reviews  
Vol. 14, No. 10  
Nov. 1953  
Analysis

Sierpiński, Waclaw. Sur quelques conséquences du théorème de M. Kondô concernant l'uniformisation des complémentaires analytiques. Soc. Sci. Lett. Varsovie. C. R. Cl. III. Sci. Math. Phys. 44 (1951), 56-62 (1952).

Using a theorem of Kondô the author proves various theorems on the projective classes of sets. Among others he proves that if  $U = U_1, \dots$  is an infinite sequence of sets all belonging to the class  $C(A)$  or  $PC(A)$ , there exists an infinite sequence of disjoint sets  $V_0 \subset U_0$  belonging to the same class so that  $\sum V_0 = \sum U_0$ . P. Erdős.

SIERPINSKI, WACLAW

Mathematical Reviews  
Vol. 14 No. 11  
Dec. 1953  
Topology

Sierpinski, Wacław. Sur une homéomorphie de classe 1, 1  
entre un segment de droite et un carré. Soc. Sci. Lett.  
Varsovie. C. R. Cl. III. Sci. Math. Phys. 44 (1951), 62-63  
1952.

Let  $S$  denote the segment  $-1 \leq t \leq 1$ , and  $Q$  denote the  
square  $0 \leq x \leq 1$ ,  $0 \leq y \leq 1$ . The author [Revista Mat. Hisp.-  
Amér. (2) 2, 193-197 (1927)] has given a one-to-one corre-  
spondence  $T$  between  $S$  and  $Q$ , defined by  $x = \phi(t)$ ,  $y = \psi(t)$ ,  
where  $\phi$  and  $\psi$  are continuous on the left at every point of  $S$ .  
A consequence of a result proved by Kuratowski [Fund.  
Math. 22, 206-220 (1934), p. 212] is that there exists a  
correspondence between  $S$  and  $Q$  which is a homeomorphism  
of class 1, 1. In the note under review, the author shows that  
 $T$  is such a correspondence.

P. BAGNOLD.

SIERPINSKI, W.

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Sierpinski, W. Une généralisation des théorèmes de S.  
Mazurkiewicz et P. Bagescu. - Fund. Math. 40, 1-2  
(1953).

The author proves the following theorem: Associate with each line  $l$  of the plane a cardinal number  $m_l$  satisfying  $2 \leq m_l \leq 2^{\aleph_0}$ . Then there exists a set  $S$  in the plane so that for each  $l$  the cardinal number of the intersection of  $S$  with  $l$  equals  $m_l$ .  
P. Erdős (South Bend, Ind.).

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SIERPINSKI, W.

Sierpiński, W. Sur une propriété des ensembles analytiques bornés (solution d'un problème de E. Marczewski). Fund. Math. 40, 171 (1953).

Soit  $F$  la famille de tous les ensembles plans dont chacun est l'intersection d'une suite dénombrable dont les termes sont réunion d'un nombre fini de rectangles aux côtés parallèles aux axes des coordonnées. Alors, tout ensemble analytique linéaire borné est la projection orthogonale d'un élément de  $F$  [cf. Souslin, C. R. Acad. Sci. Paris 164, 88-91 (1917), Th. IV].

G. Kurepa (Zagreb).

Math. Sets

Janusz M. M. M. M.

Projekty pitagorejskie. (Wyd. 1.) Warszawa, Państwowe Wydawn. Naukowe, 1954.  
94 p. (Monografie popularnonaukowe. Matematyka) (Pythagorean triangles. 1st ed.  
footnotes, tables)

See: Monthly List of East European Acquisitions, (SEAL), LC, Vol. 4, no. 10, Oct. 1955,  
Trcl.

1. R. U. T. S.

"A proposition equivalent to a Total of Real Numbers of Power H", P. 53,  
(COL. OF A POLISH POL. MATH., Vol. 2, N. 2, 1974, Warsaw, Poland)

SC: Monthly List of East European Accessions (EAL), LC, Vol. 4, No. 3,  
March 1965, inc.

SIERPIŃSKI, W.

✓ Sierpiński, W. Sur un problème concernant un réseau de points. Ann. Soc. Polon. Math. 24 (1951), no. 2, 173-174 (1954).

The following problem is due to Zarankiewicz. Let  $n > 3$ . Denote by  $R_n$  the system of  $n^2$  points situated on  $n$  horizontal and vertical lines (i.e., an  $n$  by  $n$  matrix). Determine the smallest integer  $k(n)$  so that any subset of  $R_n$  having  $k(n)$  elements contains 9 points situated on three horizontal

and three vertical lines. It is easy to see that  $k(4) = 14$ ,  $k(5) = 21$ . The author proves that  $k(6) = 27$ . P. Erdős.

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0  
0  
0

PPW  
1/

*SIERPINSKI, W.*

Sierpinski, W. Un théorème concernant les fonctions continues sur les ensembles ordonnés. Ann. Soc. Polon. Math. 24 (1951), no. 2, 175-180 (1954).

Let  $E$  be an ordered set,  $f(E)$  a function defined on the elements of  $E$  whose values lie in the ordered set  $H$ . The author proves that if  $E$  is denumerable then  $f(E)$  is the limit of a sequence of continuous functions. (The continuity is defined in the order topology.) This generalizes a previous result of the author [Fund. Math. 38, 204-208 (1951); these Rev. 13, 828].

P. Erdős (South Bend, Ind.).

Sierpinski, Waclaw

✓ Sierpinski, Waclaw. Arytmetyka teoretyczna. [Theoretical arithmetic.] With the cooperation of Jerzy Łoś. Państwowe Wydawnictwo Naukowe, Warszawa, 1955. 258 pp. zł. 30.

I - F/W

This is an excellent introductory text covering elementary number theory and an axiomatic foundation of the number system. The chapters are as follows: I. Theory of non-negative integers (based on the axioms of Peano); II. Theory of integers and rational numbers; III. Properties of integers (divisibility, prime numbers, Euler's  $\varphi$  function etc.); IV. Congruences, their properties and applications; V. Real numbers (Cantor's approach); VI. Complex numbers and quaternions.

In chapter II the Erdős version of Chebyshev's proof of Bertrand's postulate is reproduced in all detail.

An American reader may be somewhat surprised at the selection of topics (usually covered here in different courses) but it seems to correspond to a course in Polish universities. There is a nice supply of problems. C. A. Kac.

Sierpinski, W.

Sierpinski, W. Prime numbers. Wiadom. Mat. (2) 1.  
47-64 (1955). (Polish)  
Elementary expository paper.

1 - F/W

Sikorski, W.

PHASE I BOOK EXPLOITATION

POL/4232

Polskie towarzystwo matematyczne

Prace Matematyczne, II, 1 (Mathematical Transactions, Vol. 2, pt. 1). Warszawa, Państwowe wyd-wo naukowe, 1956. 200 p. 790 copies printed.

Editorial Committee: Wladyslaw Orlicz (Chief Ed.), Stefan Drobot (Deputy Chief Ed.), Adam Bielecki, Stanislaw Hartman, Jan Mikusinski, Roman Sikorski, Marceli Stark, Hanna Szmulskowicz, Krzysztof Tatarkiewicz, and Wladzimirz Wrona.

PURPOSE: This book is intended for mathematicians.

COVERAGE: This collection of articles deals with the theory of numbers, algebra, and some other subjects connected with mathematics. Among topics treated are the pursuit method of the theory of games and a biography of a Polish mathematician K. Zurawski, consisting mainly of a discussion of his mathematical work. No personalities are mentioned. References and summaries in Russian and English are given after several of the articles.

Card 1/4

## Mathematical Transactions (Cont.)

POL/4232

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Card 2/4	

## Mathematical Transactions (Cont.)

POL/4232

<u>Sierpiński, W.</u> On Certain Expansions of Real Numbers Into Infinite Rapidly Converging Products	131
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Mathematical Transactions (Cont.)

POL/4232

Modules of the Congruence  $\sum_{j=1}^{n-1} r^n - 1 = -1 \pmod{n}$  172

Reports From Scientific Sessions Held at the Polish Mathematical Society

179

AVAILABLE: Library of Congress

Card 4/4

AC/wbc/ec  
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Sierpinsk

60

Sierpinsk W. What we know and what we do not know about decomposition of natural numbers into a sum of squares, cubes, and fourth powers. -Prace Mat. 2 (1956), 56-64. (Polish)

Der Artikel behandelt Fragen über die Existenz der natürlichen Zahl  $n = x_1^r \pm x_2^r \pm \dots \pm x_k^r$ . Zahlen sind und wo natürliche oder verschiedene natürliche über die älteren, neu diesem Gebiete und gelöste Probleme aus d

we know and what we do not know about decomposition of natural numbers into a sum of squares, cubes, and fourth powers. -Prace Mat. 2 (1956), 56-64. (Polish)

1-FW

lelt im Wesentlichen verschiedene Anzahl und die Anzahl von Zerlegungen  $n = n$  in Summen von der Gestalt  $x_1^r + \dots + x_k^r$  einige kleine natürliche  $x_i^r$ , entweder ganze oder rationale ganze nichtnegative oder verahlen sind. Der Verfasser referiert ren und die neuesten Resultate in ibt einige bis jetzt noch nicht gesetem Ideenkreise an.

V. Knichal (Prag).

SIERPINSKI, W.

Sierpinski, W.  
into infinite  
(1936), 131-  
series)

Theorems  
every sequence  
unique expansion  
 $d_k$  are natural

On certain expansions of real numbers  
into infinite  
(Polish, Russian and English sum-  
maries)

and 2. To every real number  $x > 1$  and  
 $n_k$  of natural numbers there exists a  
 $n$  in  $x = (1 + n_1/d_1)(1 + n_2/d_2) \dots$ , where the  
 $d_k$  are natural numbers and satisfy

$$d_k > (d_{k+1} - 1)(d_{k+2} + n_k)n_{k+1}/n_k$$

Here  $x$  is rational if and only if

$$n_{k+1} - 1 = (d_{k+1} - 1)(d_{k+2} + n_k)n_{k+1}$$

for large  $k$ . This strengthens results of A. Oppenheim  
(Quart. J. Math. Oxford Ser. (2) 4 (1953), 303-307; MR  
15, 801). The special case  $n_k = 1$  (Theorem 3) is due to G.

B. Escott [Am. Math. Monthly 44 (1937), 941-949], who  
gives the expansion

$\sqrt{((k+2)/(k-2))} = (1+2/(k_1-1))(1+2/(k_2-1)) \cdots$   
with  $k_1 = k$  and  $k_{n+1} = k_n(k_n^2 - 3)$ . K. Zeller, //, 6/11

Sierpiński, W.

Sierpiński, W. Sur une propriété de la fonction  $\psi(x)$ .  
Publ. Math. Debrecen 4 (1958), 184-185.  
For every integer  $k$ , the equation  $\psi(x+k) = \psi(x)$  has a

"APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R001550520012-0

$\varphi(x+k) = \varphi(x)$  has more than  $m$  roots

H. S. Zuckerman

(Seattle, Wash.)

JM

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R001550520012-0"

SLER PUNSKI CDA CEAU

1-F\\

Sierniński - Wacław, Sur  
ques de la théorie des numé-  
ros et de l'arithmétique des numé-  
ros ordinaux, Czechoslovak  
Math. J. 6(81) (1956), 16  
This is a talk, given at the  
mathematicians in 1955, on  
elementary number theory and  
ordinal numbers. Most of the  
prime ordinal numbers of the  
and are already known in  
problems are given. These  
types and if  $\alpha^{\beta\gamma} = \beta^{\gamma\alpha}$ , in  
solutions of ordinals of the i

elques problèmes arithmétiques ordinaux, Czechoslovak  
-163. (Russian summary)  
congress of Czechoslovakian  
on some statements from  
which are true for transfinite  
the results given involve either  
sums of squares of ordinals,  
the literature. Two unsolved  
are (1), if  $\alpha$  and  $\beta$  are order  
just  $\alpha^{\beta} = \beta^{\alpha}$ ; and (2) find all  
rst kind which satisfy  $\alpha^{\beta} = \beta^{\alpha}$ .

S. Ginsburg (Hawthorne, Calif.).

PIERWSZY, M.

"O rozwiązywaniu równań w liczbach całkowitych" (About solving of equations in integral numbers), by W. Sierpinski. Reported in New Books (Nowe Książki), No. 12, June 15, 1956.

SIE RPinWSKI, W.

*Math*  
Sierpinski, W. Sur l'équation  $\xi + \eta = 1$  pour les nombres  
ordinaux transfinis. Fund. Math. 43 (1959), 1-2.  
No. 1. Transfinite ordinal numbers  $\xi, \eta$  satisfy the equation  
 $\xi + \eta = 1$ .  
F. Bagemihl (Notre Dame, Ind.).

*SIERPINSKI, W.*

*Sierpiński, W.*  
Fund. Math.  
The necessary  
Transfinite Zah  
17, 134] for the  
numbers  $\alpha, \beta$  is  
form.

Sur une propriété des nombres ordinaux.  
43 (1956), 139-140.  
and sufficient condition [cf. Bachmann,  
Springer, Berlin, 1955, p. 100; MR  
17, 134] for the validity of the relation  $\alpha\beta = \beta\alpha$  for ordinal  
derived without the use of the normal  
F. Bagemihl (Notre Dame, Ind.).

SIERPINSKI, WACLAW.

O rozkladach liczb wymiernych na ułamki proste.

Poland  
Warszawa/( Państwowe Wydawn. Naukowe) 1957. 110 p.  
(Monografie popularnonaukowe. Matematyka)

Monthly List of East European Accessions Index (EEAI), LC, Vol. 8, No. 6, June 1959  
Uncl.

SIERPINSKI, WACŁAW

"What the theory of numbers deals with"

p. 116 (Redaktor Rajmund Mormul, 'Wiedza Powszechna', Warsaw, Poland, 1957)

Monthly Index of East European Acquisitions (EEAI) LC, Vol. 8, No. 1, Jan. 59.

SIERPINSKI, W.

"What is known and what is unknown about the representation of natural numbers  
as sums of squares, cubes, and fourth powers? Tr. from the Polish"

Fiziko-Matematichesko Spisanie. Sofiia, Bulgaria. Vol. 1, no. 1/2, 1958

Monthly list of East European Accessions (EEAI), LC, Vol. 8, No. 6, Jun 59, Unclass

S'ERPINSKI, W.

S'ERPINSKI, ✓

16(1)

PHASE I BOOK EXPLOITATION SOV/2508

Matematicheskoye prosvetshcheniye; matematika, yeye prepodavaniye, prilozheniya i istoriya, vyp. 4 (Mathematical Education; Mathematics, Its Teaching, Application and History, N<sup>o</sup>, 4) Moscow, Gostekhizdat, 1959. 15,000 copies printed.

Ed.: I.N. Bronshteyn; Editorial Board of Series: I.N. Bronshteyn, A.I. Markushevich, I.M. Yaglom; Tech. Ed.: S.N. Akhlagov.

PURPOSE: This book is intended for persons without an extensive mathematical education who are interested in trends in contemporary mathematics. The book may be useful to high school mathematics teachers.

COVERAGE: The book consists of articles, reviews, and scientific and methodological reports, some of which are translations from other languages. The state of modern mathematics is covered, including applications, history, teaching of mathematics in schools, and mathematical developments in the USSR and abroad. One section deals with scientific and pedagogical life in the

Card 1/8

Mathematical Education; (Cont)

SOV/2508

USSR and another contains reviews of certain mathematical publications. Some mathematical background is necessary to understand the book; certain articles require a knowledge of higher mathematics.

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## I. REVIEWS, ARTICLES, TRANSLATIONS

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Card 2/8

SERPINSKI, Wacław [Sierpinski, Waclaw], prof.; ZETEL', S.I., red.;  
SIDOROVA, L.A., red.; GOLOVKO, B.N., tekhn.red.

[Pythagorean triangles; textbook for teachers] Pifagorovy  
treugol'niky; posobie dlja uchitelei. Pod red. S.I.Zetelia.  
Moskva, Gos.uchebno-pedagog.izd-vo M-va prosv. RSFSR, 1959.  
110 p. [Translated from the Polish]. (MIRA 12:7)

1. Varshavskiy universitet. Vitse-prezident Pol'skoy Akademii  
nauk (for Serpinskiy).  
(Triangle)

SERBIA, M. [Slobodan, M.] (Vorobov); SLEKAN, V. G. [Vladimir]

U.S. "S" in Poland. Mat. res. 11.4828-93 150.

(MIA 12:11)

(Poland--Int'l' issues)

SIERPINSKI, W.

On a problem of H. Steinhaus concerning the ensembles of points on the plane. In French. p. 191.

FUNDAMENTA MATHEMATICAE. (Polska Akademia Nauk) Warszawa, Poland.  
Vol. 46, no. 2, 1959.

Monthly List of East European Accessions (EEAI) LC, Vol. 9, no. 2,  
Feb. 1960

Uncl.

SERPINSKIY, Vatslav [Sierpinski, Waclaw]; GOLUHEV, V.A. [translator];  
DOLGOPOLOV, V.G., red.; MAKAROVA, N.F., tekhn.red.

[One hundred simple and yet difficult arithmetical problems;  
on the border between geometry and arithmetic (textbook for  
teachers)] Sto prostykh, no odnovremenno i trudnykh voprosov  
arifmetiki; na granitse geometrii i arifmetiki (posobie dlia  
uchitelei). Predisl. i primechaniia V.A. Golubeva. Moscow.  
Uchpedgiz, 1961. 74 p. Translated from the Polish.

(MIRA 15:5)

1. Vitse-prezident Pol'skoy Akademii nauk (for Serpinskiy).  
(Arithmetic--Problems, exercises, etc.)

SIERPINSKI, W. (Warszawa)

On a problem of Fermat. Rocznik matematyczny 4 no.2:177-181 '61.

(Numbers, Theory of)

SIERPINSKI, W. (Warszawa)

A remark on composite numbers  $m$  which divide  $a^m - 1$ . Rocznik matematyczny 4  
no. 2: 183-184 '61.

(Numbers, Theory of)

SIERPINSKI, W. (Warszawa)

A remark on Pythagorean triangles. Rocz wiad matem 4 no.2:185 '61.

(Numbers, Theory of) (Triangles)

SIERPINSKI, W. (Warszawa)

Remarks on M. J. W. S. Cassels' work "On a diophantine equation".  
Acta arithmetica 6 no.4:469-471 '61.

SIERPINSKI, Waclaw (Warszawa)

Elementary demonstration of a theorem on the sum of three distinct prime numbers. Glas mat fiz Hrv 16 no.1/2:87-88 '61.

SIERPINSKI, Waclaw (Warszawa)

On the families of infinite sets of natural numbers. Fund mat 49  
no.2:151-155 '61. (EEAI 10:9)

(Aggregates) (Numbers, Theory of)

SIERPINSKI, W. (Warszawa)

On a problem of the n value logic. Fund mat 49 no.2:167-170 '61.

SIERPINSKI, W.

On a hypothesis with respect to prime numbers. Glas mat fiz Hrv  
16 no.3/4:328 '61.

SIERPINSKI, W. (Warszawa)

On natural numbers D for which the expansion period of the  
number  $\sqrt{D}$  on the arithmetic chain fraction has three terms.  
Rocznik matematyczny 5:53-55 '61.

SIERPINSKI, W. (Warszawa)

What has been achieved in the theory of numbers with the  
help of electronic machines? Rocznik matematyczny 5:57-65  
'61.

SIERPINSKI, W.

On a A. Makowski's problem concerning tetrahedral numbers.  
Publ Inst math SANU 2(16):115-119 '62 [publ. '63].

SIERPINSKI, W. (Warszawa)

Triangular numbers being the sums of two smaller triangular numbers. Rocznik matematyczny 7 no.1, 27-28 '63.

A certain theorem equivalent to the theorem on arithmetic progression. Rocznik matematyczny 7 no.1, 29 '63.

Sequences of numbers in couples of prime numbers respectively. Ibid., 31-38

On infinity. Ibid., 39-49 '63.

SHAFERKI, W. (Varsovie)

Composed numbers of the form  $a^{2n} + 1$ . Col math 10 no.1:133.  
135 '63.

SIERPINSKI, Waclaw, prof. dr.

The Polish School of Mathematics. Problemy 19 no.3:146-155 '63.

1. Cz³onek rzeczywisty Pociskiej Akademii Nauk, Warszawa.

SIERPINSKI, W. (Warsaw)

The families of infinite sets of natural numbers. Fund math  
56 no.1;115-116 '64.

SIERPINSKI, Waclaw; MEL'NIKOV, I.G. [translator]

[What we know and do not know about the prime numbers.  
Translated from the Polish] Chto my znaem i chego ne  
znaem o prostykh chislakh. Leningrad, Gos.izd-vo fi-  
ziko-matem. lit-ry, 1963. 90 p. (MIRA 18:3)

STERPINCKI, W. (Warsaw)

Remarks on a certain project of P. Stach. Received material  
7 NOV 1964

URKINSKY, S., SVERDLOVSK, K. (unseen)

On the equation  $y^2 - 2y^2 = k$ . Poor wind meter?

no. 2229-232 162.

*Sierpiński, Z.*

POL.

3310

632.043 : 632.703 : 634.048

Sierpiński Z. Observations on the Prospects of Chemically Combating the Xyloterus lineatus L. Beetle.

„Spostrzeżenia nad możliwością chemicznego zwalczania dręczańca gąsienicowatego Xyloterus lineatus L.” Sylwan. No. 1, 1951, pp. 63-67, 1 tab.

The Xyloterus lineatus beetle is, although not actually a menace to felling timber resources, harmful to timber, since, particularly in felled conifers it bores worm holes which impair the technical value of the timber. This harmful insect is occurring in increased numbers and the necessity therefore arises to prepare to combat it. Observations reveal that Xyloterus lineatus is particularly susceptible to contact insecticides, particularly to hexa-chlorates. The brief swarming period facilitates chemical combating of this pest; the effects cannot, however, be ascertained until after comparative investigation of the occurrence of the beetle on timber sprayed and unsprayed.

SIERPINSKI, Z.

POL.

3341

032.943 : 632.708 : 634.942

Sierpiński Z. The State of Studies on the Chemical Combating of the  
Ips typographus Beetle.

„Stan badań nad chemiczną walką z kornikiem drukarzem w lesie”.  
Sylwan. No. 2, 1954, pp. 85-90.

The prevalent method of fighting the Ips typographus beetle by means of trap trees has the disadvantage of leaving alive in forests some 20 to 20 per cent of the population of this beetle. Insecticides are the most radical method of combating the beetle, but are harmful in so far as they simultaneously destroy other useful species of forest fauna. Falling other means of combating, chemical means are therefore being used in cases of substantial gravitation. Efforts are, moreover, being directed towards selecting such chemical media as do not destroy any but the particular species of beetle against which the campaign is being pursued. The author reviews chemical media hitherto in use, the degree of their effectiveness, and the advantages and disadvantages of using them. Brief reference is also made to the combating of the Ips typographus beetle at round-timber yards.

July 20, 1911, 1000 ft. S.E. of 29, 4.

1960. A the double-toothed bark beetle (*Ips duplicatus* Sahib.). p.59  
Instytut Nauk i Techniki Leśnictwa i Instytut Technologii Drewna  
Rocznik 1960, cz. 1 (Instytut Nauk i Techniki Leśnictwa i Instytut Technologii Drewna)  
Lipiec 1961, s. 13, tab.

So. East European Accounting List Vol. 1, No. 9 September 1966

SIERPINSKI, Z.

More attention to the pine moth (Heringia Dodecella L.). p.9.

LAS POLSKI. (Ministerstwo Lesnictwa oraz Stowarzyszenie Naukowo-Techniczne  
Inżynierów i Techników Leśnictwa i Drzewnictwa) Warszawa, Poland. Vol. 29  
no. 1, Jan. 1955

Monthly list of East European Accessions (EEAI) LC, Vol. 9, no. 2, Feb. 1960

Uncl.

SI. MIŃSKI, Z.

Possibilities of applying Silvexol for fighting spruce beetles. p. 17.

LAS I LEKI. (Ministerstwo Leśnictwa oraz Stowarzyszenie Naukowo-Techniczne  
Inżynierów i Techników Leśnictwa i Przemysłu) Warszawa, Poland.  
Vol. 29, no. 5, May 1969.

Monthly list of East European Accessions (EIAI) LC, Vol. 4, no. 2, Feb. 1960

Uncl.

BABKA, Piotr; SIERPOWSKI, Andrzej

Possibilities of real utilization of waste heat in the iron  
and steel industry. Problemy proj hut maszyn 11 no. 5: 138-  
143 My '63.

1. Biprostal, Krakow.

SIERZPUTOWSKI, Antoni

From a foreign mother; the Polish Tartars. Problemy 19 no.9:  
555-565 '63.

SIERZPUTOWSKI, Jerzy, inz.

Municipality funds for local roads. Drogownictwo 17 no.2:  
41-43 F '62.

PIOTROWSKI, Jerzy

✓ The use of thioacetamide in toxicological analyses.  
Jerzy Siestrzencewicz and Eugeniusz Zwierzchowski (Zaklad  
Chem. Toksykologiczny Sadowy Wydziału Farm. Akad. Med.,  
Łódź). *Farm. Polska* 9, 205-6 (1953).—Thioacetamide  
gives the same results as H<sub>2</sub>S in toxicological analyses.

L. J. Piotrowski

Chemical Abst.  
Vol. 48 No. 9  
May 10, 1954  
Analytical Chemistry

SEWASTIANOV, . . . . , doc. [Sevast'yanov, N.N., JALONSKI, G., inz. {translator}]

A scheme for stability standards based on the calculus of probability.  
Zeszyt okretowe Warszawa 10 no.1:10-14 Ja '65.

1. Head, Department of Theory of Ships of the Kaliningrad Technological  
Institute of Ship Industry and Farming, Kaliningrad (for Sevast'yanov).

3/100/10/36H, J.

POLAND/Chemical Technology - Chemical Products and Their  
Application, Part 4. - Artificial and Synthetic  
Fibers. H-32

Abs Jour : Ref Zhur - Khimiya, No 14, 1958, 48945  
Author : W. Czosnowska, S. Sicwierska  
Inst : Institute of Fiber Industry.  
Title : Development of Determination Method of Hydroxylic Groups  
and Hydrogen Bonds in Viscous Fibers.  
Orig Pub : Przen. wlokienniczy, Bull. Inst. wlokiennictwa, 1954, 8,  
No 6, 27-28.  
Abstract : No abstract.

Card 1/1

3/

POLAND/Chemical Technology. Chemical Products and Their  
Application. Cellulose and Its Production.  
Paper.

H-33

Abs Jour: Ref. Zhur-Khimiya, No 11, 1958, 38315.

Author : Kuznicka-Serwowa A, Siewierska S

Inst : Not given.

Title : The Investigation of the Absorption Spectra of Hydro- and  
Oxy-Cellulose in Infrared-Rays.

Orig Pub: Przeg. wlokienniczy, 1956, 10, No 12, Bull Inst wlokienni-  
ictwa, 23-24.

Abstract: Describes the advantages of a spectral chemical analysis  
of cellulose by the determination of the degree of decompo-  
sition of the cellulose and the formation of oxy- and  
hydrocellulose.

Card : 1/1

END

KARCZEWSKI, I.; KOZLOWSKI, W.; LEWASZKIEWICZ, W.; SIEMIERSKA, S.; WLODARSKI, G.

Contribution to the problem of determining the crystallinity of viscose fibers on the basis of their density. Przegl wloken 18 no.10:448-449 0 '64.

1. Institute of Artificial and Synthetic Fibers, Warsaw.

SIEWIERSKI, J.

8  
3.2.1.7.1.

Polish Technical Abst.  
No. 1 1954  
Mechanics, Electrotechnics,  
Power

CR  
8/154

2509

621.317.443 : 533.082/083 : 669.15-184.58 : 622.341.1

✓ Kozłowski, J., Siewierski, J. The Balance for Magnetic Analyses.  
"Waga do analiz magnetycznych" (Prace Inst. Min. Hutnicęwa No. 1).  
Katowice, 1953. PWT, 9 pp., 18 figs., 2 tabs.

The authors discuss the principles of magnetic analysis, and give a list of the more important types of magnetic balances for such analyses. A description of the balance designed by the authors, executed at the Institute of Metallurgy. This balance has a horizontal displacement; it consists of an appliance for measuring the lifting force, an electromagnet, a beam with a chuck for holding a sample, a damping device, a device for reading the exact zero position, a furnace for heating the sample, and an appliance for temperature measurement. The paper contains test measurement results and a comparison of the results of investigations conducted, with the help of this balance, over ferrous powders. The usefulness of the balance was established in the quantitative determination of magnetic content in ferrous sands, and in the determination of ferrite content in austenitic steel.

SJENTOWSKI, J.

"Organizing harvesting and threshing work in collective farms." p. 85. (Nowe Rolnictwo, Vol. 2, no. 7, July 1953. Warszawa.)

SO: Monthly List of East European Accessions, Vol. 3, No. 2, Library of Congress,  
Feb. 1954, Unc1.

J. SIEWIERSKI

"Some Remarks Concerning the Introduction of Premiums by Collective Farms"  
Page 4 (NOWE ROLNICTWO. Vol. 2, No. 9, Sept. 1953 Warszawa, Poland)

SO: East European, L.C. Vol. 2, No. 12, Dec. 1953

STEN-TECHNIK, J.

Metallurgical Abst.  
Vol. 21 May 1954  
Laboratory Apparatus,  
Instruments, Etc.

Balance for Magnetic Analysis. L. Kozłowski and J. Siewierski (Prace Inst. Miniat. Huta, 1953, 5, (1), 47-50).

The balance is a constructional detail and main characteristics of a balance designed for the magnetic analysis of Fe-ore and austenitic steels are given. The balance can be used for the control of the ferromagnetic phase content in Fe-ore concentrate, and in austenitic steels subjected to cold working or heat-treatment. -S. K. L.

11/11/4

SIEWIERSKI, J.

3  
Methods of Measuring Magnetic Properties of Ferromagnetic  
Magnets. J. Kozłowski and J. Siewierski. (Procz Inst.  
Min'g. Hufl., 1964, 6, (1), 44-49).—[In Polish]. Electro-  
dynamic and induction methods are reviewed, and two types  
of coercimeters designed and built in the Instytut Metalurgii  
are described.—S. K. L.

3  
B10/18/54

Category : POLAND/Nuclear Physics - Instruments and Installations. Methods of Measurement and Investigation C-2

Abs Jour : Ref Zhur - Fizika, No 1, 1957, No 326

Author : Siewierski, Jerzy

Title : Problems of Labor Safety and Hygiene when Working with Radioactive Isotopes

Orig Pub : Hutnik (Polska), 1955, 23, No 4, 172-175

Abstract : No Abstract

Card : 1/1

*Chemical Technology*  
POLAND/Chemical Technology - Chemical Products and Their  
Applications, Part 1. - Safety and Sanitation  
Techniques.

H-6

Abs Jour : Ref Zhur - Khimiya, No 14, 1958, 47253  
Author : Jerzy Sievierski  
Inst : ~~>~~  
Title : Problems of Safety Technique and Labor Hygiene at Work  
With Radioactive Isotopes.  
Orig Pub : Hutnik (Polska), 1956, 23, No 4, 172-175  
Abstract : The action of radioactive substances on the organism and  
the protective measures are briefly discussed.

Card 1/1

SIEWIERSKI, J.

PRACE INSTITUTU  
Ministerstwa Higieny  
Nr 6, 1957

J. Kowalski, J. Siewierski

**MAGNETIC BALANCE FOR MEASURING OF MAGNETIC PROPERTIES OF FERRO- AND PARAMAGNETIC MATERIALS IN THE RANGE OF TEMPERATURES UP TO 500°C**

**Summary**

Principles of magnetic analysis by means of differential and integral methods for measurement of magnetic susceptibility and saturation intensity of magnetization

and makes possible the examination of magnetic susceptibility and saturation intensity of magnetization at the temperature up to 500°C of a test piece up to 500 mm

P/039/61/000/003/002/002  
A221/A126

AUTHORS: Kieszniewski, Jan, Master, Kuś, Lesław, Siewierski, Jerzy, and Wusatowski, Roman, Masters of Engineering

TITLE: Radio-isotopic investigation of drawing die attrition, depending on lubrication and drawing rate

PERIODICAL: Hutnik, no. 3, 1961, 91 - 106

TEXT: In this report the authors describe their investigations, made to establish optimum conditions at which the attrition of drawing dies can be reduced and also to establish the best combination of base coating material and lubricants applied at wire drawing. To measure the attrition of drawing dies, they used irradiated holes through which the wire was drawn. Samples of drawn wire were subsequently examined for their radioactivity, caused by a number of radioactive particles torn off the die hole and adhering to the wire. Test drawing was carried out at 1.5, 2.0 and 2.5 w/sec rate, using 5.5 mm thick wire rods in 5 mm drawing die. 4.1 mm wire rod in 3.5 mm drawing die and 2.3 mm wire rod in 2 mm drawing die. Chemical analysis of wire rods used for these experiments was the

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Radio-isotopic investigation of drawing die attrition...

P/039/61/000/003/002/002  
A221/A126

following:

Type of steel	Alloying constituents %					
	C	Mn	Si	P	S	Ni
Low carbon steel	0.08	0.27	0.06	0.021	0.031	0.02
D45A	0.46	0.52	0.17	0.035	0.023	0.02
D85A	0.86	0.55	0.18	0.022	0.021	0.12

For each variant of experiments, 3 coils of about 600 m of wire each were used. For establishing the degree of radioactivity of the drawn wire, 1.3 m long sample pieces were cut out from it, at the beginning at every 4.5 m, then at every 20 m and finally at every 30 m. From these 1.3 m long samples, shorter pieces were cut out and placed in 43 x 45 mm. aluminum frames to be examined for radioactivity by 2 Geiger-Miller counters simultaneously, from the top and from the bottom. The attrition of the drawhole equals about 0.08 g/ton of the drawn wire and, therefore, for a 5 mm wire it will be  $1.2 \times 10^{-5}$  g/m; assuming that the shortest piece of a sample is 0.2 m, the attrition of the drawhole along this piece will be  $2.4 \times 10^{-6}$  g. Therefore the maximum specific radioactivity of drawhole would be  $s = \frac{3 \times 10^{-4}}{2.2 \times 10^{-6} \text{ g}} \approx 120 \mu\text{C/g}$ ; similarly, the radioactivity of the largest draw-

Card 2/3

MALKIEWICZ, T., prof.; SIEWERSKI, J., mgr.; inż.

Application and utilization perspectives of radiating isotopes  
in the iron metallurgical industry. Przegl techn no.19:5,6  
13 My '62.

1. Instytut Metalurgii. Zelaza.

SIEWIERSKI, L.

Methods of measurement of magnetic properties of permanent  
magnet materials. J. Kazłowski and L. Siewierski (Prace Inst.  
Minist. Hutnic., 1954, 6, 44-48) — Methods of measurement and  
types of instruments used are reviewed with special reference to  
two coercimeters designed and built in the Polish Metallurgical  
Institute.  
S. K. LACHOWICZ.

10/14/54

SIEWIERSKI, L.

SCIENCE

Periodicals KOSMOS. SERIA A: BIOLOGIA. Vol. 8, no. 3, 1957. In French.

SIEWIERSKI, L. The local variation of single-valued functions, algebraic on the half-plane. p. 1.

Monthly List of East European Acquisitions (EEAI), LC, Vol. 8, No. 3, May 1959  
Unclass.

SIEWIERSKI, L.

SCIENCE

Periodical: KOSMOS. SERIA A: BIOLOGIA. Vol. 8, no. 9, 1957. In French.

SIEWIERSKI, L. Extreme functions in the family of single-valued functions,  
algebraic on the half-plane. p. 1.

Monthly List of East European Acessions (EEAI), LC, Vol. 8, No. 3, May 1959  
Unclass.

Country : POLAND  
Category: Plant Physiology. Respiration and Metabolism...

I

Abs Jour: RZhBiol., No 14 1958, No 62969

Author : Siewinski, I.; Majer, S.; Kocor M.

Inst : -  
Title : Tomatine Content in Tomato Leaves, and a Simple  
Method of Obtaining Tomatidine From Them.

Orig Pub: Przem. chcm., 1957, 13 No 9, 543-544.

Abstract: No abstract

Card : 1/1

I-8

KOCOR, M.; NESPIAK, A.; SIEWINSKI, A.

Myrothecium roridum tode metabolites. I. Myrothecin. Bul chim PAN 9  
no.4:207-211 '61.

1. Department of General Chemistry and Department of Phytopathology,  
College of Agriculture, Wroclaw. Presented by T. Urbanski.

(Myrothecium roridum) (Metabolites)

URBANSKI, Stanislaw; SHWKO, Stanislaw

A countercurrent chimney recuperator. Przegl odlew 14  
no.2:59-60 F'64.

SIFAJ, S.; NIEPZL, G.

Placement of workers with diminished working ability due to  
rheumatic conditions. Pracovni lek. 2 no.4:169-174 15 Sept  
50. (CIML 20:4)

0712 096  
L 36374-66 EEC(k)-2/EWT'd /EWT(1)/FSS-2 TT/GW/AST  
ACC NR: AP6010462 (N) SOURCE CODE: UR/0401/66/000/003/0026/0027

AUTHOR: Siforov, V. (Corresponding member AN SSSR) 85

ORG: none B

TITLE: Luna-9 automatic space station and its radioelectronic systems 6

SOURCE: Starshina-serzhant, no. 3, 1966, 26-27

TOPIC TAGS: automatic space station, soft landing spacecraft, space electronics/  
Luna-9 automatic space station

ABSTRACT: The article deals with the Luna-9 automatic space station and its diverse radio electronic equipment consisting of radio receivers and transmitters, a television set, a temperature-control system, electronic optical equipment for orienting the space station during flight, a radio orbit-control system, a programmed timer, and a radio system for a soft lunar landing. The orbit transfer maneuver was controlled from the Earth. The Luna-9 space station carried out a panoramic survey of the moon and transmitted pictures of its landscape to the Earth with the aid of special television equipment. The braking action of the Luna-9 space station for a soft lunar landing began at an altitude of 75 km from the Moon's surface. A soft-landing control system ensured the reduction of the speed of the Luna-9 station from 2600 m/sec to a few m/sec near the Moon's surface. Orig. art. has: 2 figures. [NT]

SUB CODE: 22/ SUBM DATE: none  
Card 1/1

SIFMAN, R.I. (Moscow).

Public questionnaires as a source of studying morbidity in England and the  
United States. Sov.zdrav. 12 no.6:56-59 II-D '53. (MLRA 6:11)  
(United States--Statistics, Medical) (England--Statistics, Medical)